

The background features several large, stylized, overlapping swirls in shades of purple, green, and blue. Interspersed among these swirls are numerous small, yellow, triangular shapes that resemble sun rays or confetti, scattered across the white background.

# **COMPANDING**

**EEEN 464 – DIGITAL  
COMMUNICATION**

**Friday, 06 February 2026**

# COMPANDING DIGITAL AUDIO SIGNALS

- The **data rate** is important in telecommunication because it is **directly proportional to the cost of transmitting the signal.**
- Companding is a common technique for reducing the data rate of audio signals **by making the quantization levels unequal.**

# BASIS FOR COMPANDING

- The loudest sound that can be tolerated (120 dB SPL) is about one-million times the amplitude of the weakest sound that can be detected (0 dB SPL).
- The ear cannot distinguish between sounds that are closer than about 1 dB apart.
- If the quantization levels are equally spaced, 12 bits must be used to obtain telephone quality speech.
- However, only 8 bits are required if the quantization levels are made unequal, matching the characteristics of human hearing.

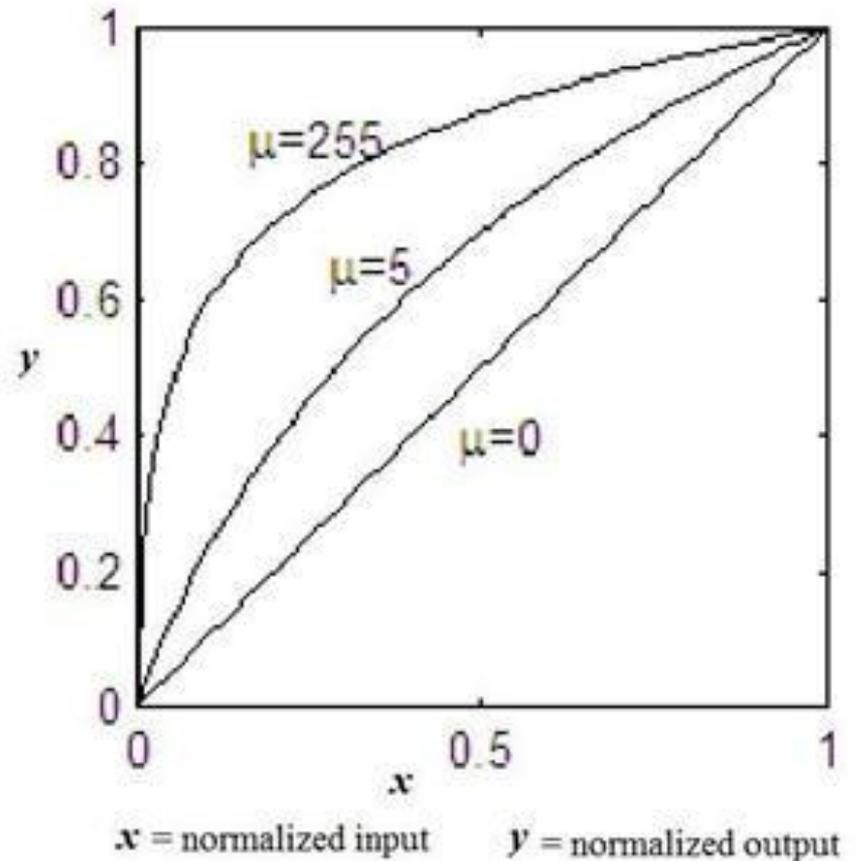
# THREE METHODS OF COMPANDING

1. Run the analog signal through a nonlinear circuit before reaching a linear 8 bit ADC,
  2. Use an 8 bit ADC that internally has unequally spaced steps, or
  3. Use a linear 12 bit ADC followed by a digital look-up table (12 bits in, 8 bits out).
- Each of these three options requires the same nonlinearity, just in a different place: an analog circuit, an ADC, or a digital circuit.

# COMPANDING STANDARDS

(1)  $\mu$ 255 law  
(also called mu law), used in North America

(2) "A" law, used in Europe.

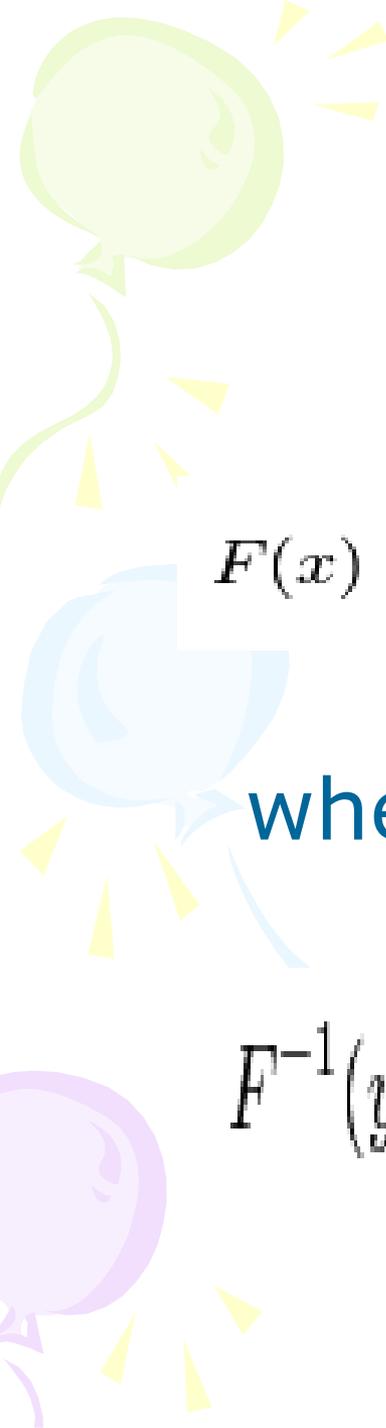


# "A" LAW

$$F(x) = \text{sgn}(x) \begin{cases} \frac{A|x|}{1+\ln(A)}, & |x| < \frac{1}{A} \\ \frac{1+\ln(A|x|)}{1+\ln(A)}, & \frac{1}{A} \leq |x| \leq 1, \end{cases}$$

Where A is the compression parameter 87.7.

$$F^{-1}(y) = \text{sgn}(y) \begin{cases} \frac{|y|(1+\ln(A))}{A}, & |y| < \frac{1}{1+\ln(A)} \\ \frac{\exp(|y|(1+\ln(A)))-1}{A}, & \frac{1}{1+\ln(A)} \leq |y| < 1. \end{cases}$$

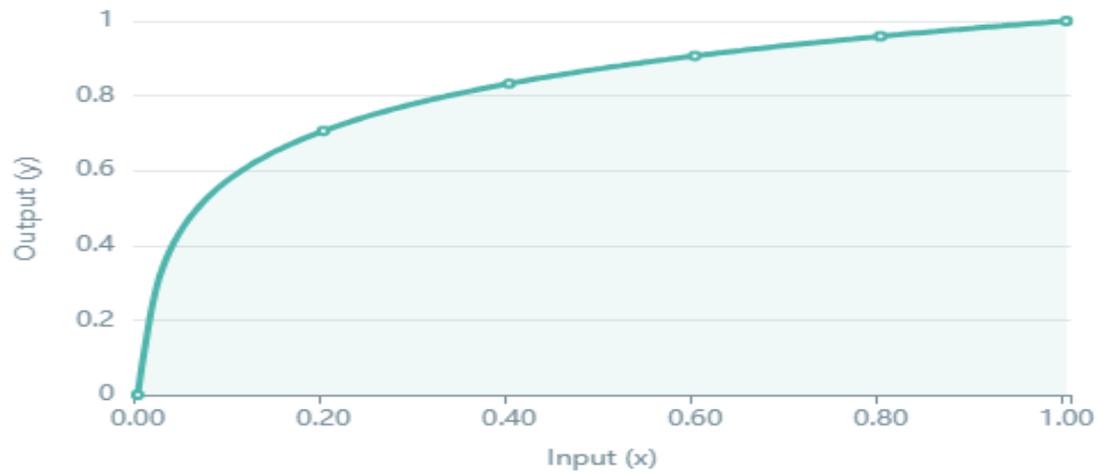


# $\mu$ -LAW

$$F(x) = \text{sgn}(x) \frac{\ln(1 + \mu|x|)}{\ln(1 + \mu)} \quad -1 \leq x \leq 1.$$

where  $\mu$  is 255 for 8 bits.

$$F^{-1}(y) = \text{sgn}(y) (1/\mu) ((1 + \mu)^{|y|} - 1) \quad -1 \leq y \leq 1$$



## "A" LAW

